

Question #79850

Consider the following function h .

```
def h(n):  
    f = 0  
    for i in range(1,n+1):  
        if n%i == 0:  
            f = f + 1  
    return(f%2 == 1)
```

The function $h(n)$ given above returns True for a positive number n whenever:

- n is a multiple of 2
- n is a composite number
- n is a prime number
- n is a perfect square

Answer:

The given function $h(n)$ counts the number of all possible composition of two integer numbers, which product gives n , and returns *True* if the result is odd.

This algorithm is used to examine whether an integer number n is a perfect square.

The screenshot bellow shows the output for positive integers below 20. As we can see, $h(n)$ returns *True* only for numbers 1, 4, 9 and 16, which are perfect squares.

```
>>> def h(n):  
...     f = 0  
...     for i in range(1,n+1):  
...         if n%i == 0:  
...             f = f + 1  
...     return(f%2 == 1)  
...  
>>> for n in range(1,20):  
...     print('{}: {}'.format(n, h(n)))  
...  
1: True  
2: False  
3: False  
4: True  
5: False  
6: False  
7: False  
8: False  
9: True  
10: False  
11: False  
12: False  
13: False  
14: False  
15: False  
16: True  
17: False  
18: False  
19: False  
>>>
```