

## Answer on Question #61018, Programming & Computer Science / C++

**TCS is working on a new project called "TestVita". There are N modules in the project. Each module (i) has completion time denoted in number of hours (Hi) and may depend on other modules. If Module x depends on Module y then one needs to complete y before x.**

**As Project manager, you are asked to deliver the project as early as possible. Provide an estimation of amount of time required to complete the project.**

**Solution:**

Let  $x_1, x_2, \dots, x_N$  – all modules,  $H_1, H_2, \dots, H_N$  – corresponding completion times,  $F(x_i, x_j) = 1$  if  $x_i$  depends on module  $x_j$ ,  $F(x_i, x_j) = 0$  if  $x_j$  doesn't depend (directly) on module  $x_i$ .

Let  $x_k$  – the main module of the project. Our task is to find all modules on which this  $x_k$  depends (directly or indirectly through sequence of some other modules) and then find the sum of corresponding  $H_i$ .

Let's mark all modules by  $p_i$ , where  $p_i = 1$  if that module is necessary for project,  $p_i = 0$  if not.

**Solution algorithm:**

1. Let  $p_k = 1$ , all other  $p_i = 0$ .
2. Loop through all pairs  $x_i, x_j$ . If module  $x_i$  depends on module  $x_j$  ( $F(x_i, x_j) = 1$ ) AND module  $x_i$  marked as 1 ( $p_i = 1$ ) then change  $p_j$  mark to 1.
3. If in step 2 at least one mark  $p_i$  is changed, then go to step 2 and repeat it. If no  $p_i$  is changed then proceed to step 4.
4. Now all modules necessary for project is marked by 1 ( $p_i = 1$  for them). Loop through all  $x_i$  and sum such  $H_i$  for which  $p_i = 1$ .

In C++ this algorithm can be coded for example in such way:

```
P[k] = 1;  
Changed = 1;  
while (Changed)  
{  
    Changed = 0;  
    for (i=0; i<N; i++)  
        for (j=0; j<N; j++)  
            if ((F[i][j] == 1) && (P[i] == 1))  
            {
```

```
    Changed=1;  
    P[j] = 1;  
}  
}  
for (i=0, sum=0; i<N; i++)  
    if (P[i] == 1) sum += H[i];  
cout << "Time to complete: " << sum;
```