Answer on Question #74740, Physics / Quantum Mechanics |

Determine the commutator Lz Ly.

Solution:

$$\begin{aligned} \left[L_{z}, L_{y} \right] &= \left[xp_{y} - yp_{x}, zp_{x} - xp_{z} \right] = \left[xp_{y}, zp_{x} \right] - \left[xp_{y}, xp_{z} \right] - \left[yp_{x}, zp_{x} \right] + \left[yp_{x}, xp_{z} \right] \\ &= zp_{x}[x, p_{x}] - 0 - 0 + yp_{z}[p_{x}, x] \end{aligned}$$

Remembering that
$$[x, p_x] = -[p_x, x] = i\hbar$$
, we obtain
$$[L_z, L_y] = i\hbar(zp_x - yp_z) = -i\hbar L_x$$

Answer:
$$[L_z, L_y] = -i\hbar L_x$$

Answer provided by https://www.AssignmentExpert.com