## Answer on Question \#74740, Physics / Quantum Mechanics |

Determine the commutator Lz Ly.
Solution:

$$
\begin{gathered}
{\left[L_{z}, L_{y}\right]=\left[x p_{y}-y p_{x}, z p_{x}-x p_{z}\right]=\left[x p_{y}, z p_{x}\right]-\left[x p_{y}, x p_{z}\right]-\left[y p_{x}, z p_{x}\right]+\left[y p_{x}, x p_{z}\right]} \\
=z p_{x}\left[x, p_{x}\right]-0-0+y p_{z}\left[p_{x}, x\right]
\end{gathered}
$$

Remembering that $\left[x, p_{x}\right]=-\left[p_{x}, x\right]=i \hbar$, we obtain

$$
\left[L_{z}, L_{y}\right]=i \hbar\left(z p_{x}-y p_{z}\right)=-i \hbar L_{x}
$$

Answer: $\left[L_{z}, L_{y}\right]=-i \hbar L_{x}$ Answer provided by https://www.AssignmentExpert.com

