Two ants race across a table 59 cm long. One travels at $5.01 \mathrm{~cm} / \mathrm{s}$ and the other at $3.99999 \mathrm{~cm} / \mathrm{s}$.
When the first one crosses the finish line, how far behind is the second one?
$\mathrm{L}=59 \mathrm{~cm}$ - the length of the table $v=5.01 \mathrm{~cm} / \mathrm{s}$ - the speed of the first ant $u=3.99999 \mathrm{~cm} / \mathrm{s}$ - the speed of the second ant
D - the distance between the ants, when the first one crosses the finish line. The task: to find D.

Solution:
The time the first ant needs to race across the table is $t=L / v$. Then the distance, which the second ant passes for the same time is $a=u t=u(L / v)$.
So, we can find the distance between the ants, when the first ant crosses the finish line $D=L-a=L-$ u(L/v),
$D=L(1-u / v)$
ANSWER: $D=11.89432934 \mathrm{~cm}$.

