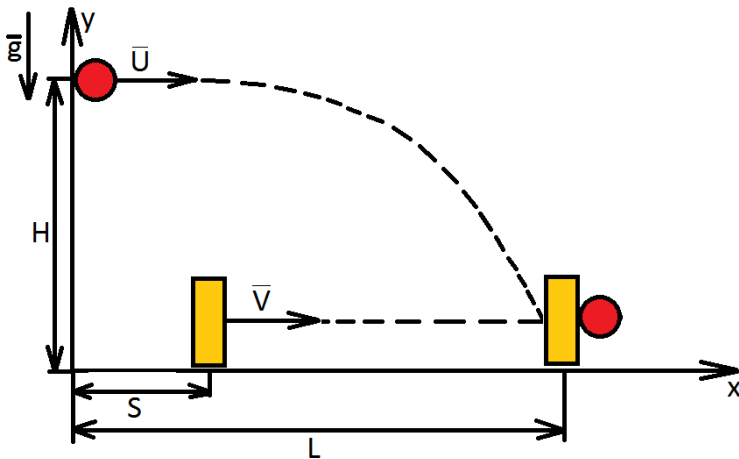


Kaitlin is going off to her physics class, jogging down the sidewalk at a speed of 4.10m/s . Her husband Scott suddenly realises that she left in such a hurry that she forgot her sandwich, so he runs to the window of their apartment, which is a height 40.7m above the street level and directly above the footpath, to throw it to her. Scott throws it horizontally at a time 5.50s after Kaitlin has passed below the window, and she catches it on the run. You can ignore air resistance.

- With what initial speed must Scott throw the sandwich so Kaitlin can catch it just before it hits the ground?
- Where is Kaitlin when she catches the sandwich?

Solution:



Let U – velocity of the sandwich, V - the speed of jogging, $t_1=5.5s$

We find the time at which Kaitlin will catch sandwich. The equation of motion for the sandwich along the Y-axis:

$$y: H = \frac{gt_2^2}{2}$$

$$t_2 = \sqrt{\frac{2H}{g}} \quad (1)$$

Distance is Kaitlin ran to catch a sandwich:

$$L = S + Vt_2 = Vt_1 + Vt_2 = V(t_1 + t_2) \quad (2)$$

The equation of motion for the sandwich X-axis:

$$x: L = Ut_2 \quad (3)$$

(1)in(3) and (1)in (2):

$$L = U \sqrt{\frac{2H}{g}}; \quad L = V \left(t_1 + \sqrt{\frac{2H}{g}} \right)$$

Equate the right sides of equations:

$$U \sqrt{\frac{2H}{g}} = V \left(t_1 + \sqrt{\frac{2H}{g}} \right)$$

$$U = V \left(t_1 \sqrt{\frac{g}{2H}} + 1 \right) = 4.1 \frac{m}{s} \left(5.5s \sqrt{\frac{10 \frac{m}{s^2}}{2 * 40.7m}} + 1 \right) = 12 \frac{m}{s}$$

$$L = U \sqrt{\frac{2H}{g}} = 12 \frac{m}{s} \sqrt{\frac{2 * 40.7m}{10 \frac{m}{s^2}}} = 34.23 m$$

Answer: a) initial speed $U = 12 \frac{m}{s}$

b) Kaitlin will be at a distance $L = 34.23 m$ away from the window