

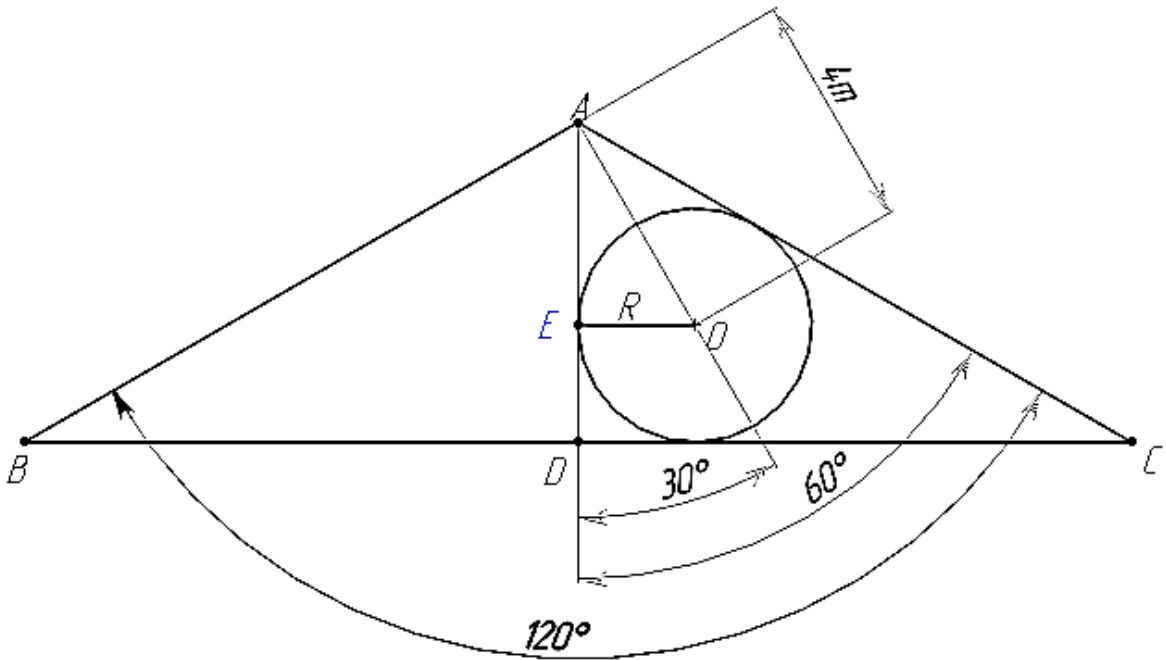
81523, Math / Geometry/ Completed

In a Triangle $AB=AC$, $\angle BAC=120^\circ$. D is the middle point of BC . A circle is drawn inside the triangle which touches $AD, CD,$ & AC . If $OA=4$ (meter) What's the radius of the circle???

Solution.

AD is the median, height and bisector, because $\triangle ABC$ is an isosceles.

$AD \perp BC$, $\angle BAD=\angle DAC=60^\circ$. $\triangle ADC$ - rectangular. O - center of the inscribed circle. The center of the inscribed circle lies on the bisectors of the angles of the triangle. AO -bisector. $\angle EAO=\angle OAC=30^\circ$. OE is the radius of the inscribed circle. $OE \perp AD$. $\triangle AOE$ - rectangular triangle. $AE=AO \cdot \sin 30^\circ=2\text{m}$



Answer: $R=2\text{m}$

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