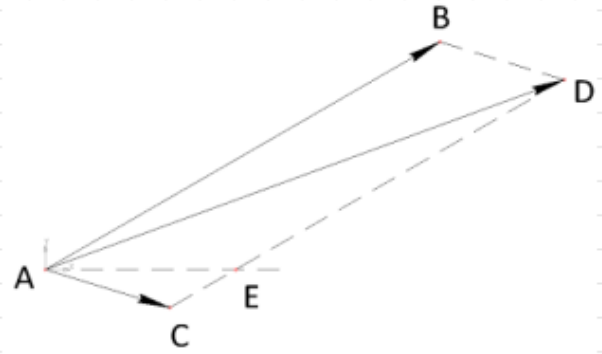


Question #72402, Math / Calculus

Let

$$AB := 7 \frac{m}{s} \quad \text{angEAB} := 30 \text{ deg}$$

$$AC := 2 \frac{m}{s} \quad \text{angEAC} := 360 \text{ deg} - 343 \text{ deg} = 17 \text{ deg}$$



Let's find out the ABD angle

$$\text{angABD} := 180 \text{ deg} - (\text{angEAC} + \text{angEAB}) = 133 \text{ deg}$$

Using the AB, BD=AC and ABD angle we can obtain the AD.
According to the cosine law

$$AD^2 = AB^2 + AC^2 - 2 \cdot AB \cdot AC \cdot \cos(\text{angABD})$$

$$\text{Then } AD := \sqrt{AB^2 + AC^2 - 2 \cdot AB \cdot AC \cdot \cos(\text{angABD})} = 8,4909 \frac{m}{s}$$

Using the AD, BD=AC and ABD angle we can obtain the DAB angle.
According to the sine law

$$\frac{\sin(\text{angDAB})}{AC} = \frac{\sin(\text{angABD})}{AD}$$

Then

$$\text{angDAB} = \arcsin\left(\frac{AC}{AD} \cdot \sin(\text{angABD})\right) = 9,9197 \text{ deg}$$

and the EAD angle is

$$\text{angEAD} := \text{angEAB} - \text{angDAB} = 20,0803 \text{ deg}$$

The answer is 8.4909 m/s on a bearing of 20.0803 degrees

Solved in SMath Studio

Answer provided by AssignmentExpert.com