

## Answer on Question #48410 – Math – Statistics and Probability

**Question.** We have 20 jurors for a trial, 12 favor punishment, 8 don't favor punishment, if 12 jurors are selected at random from the 20 jurors, what is the probability that 7 of them will not favor punishment?

### Solution.

We must select 7 jurors from 8 (they don't favor punishment). We can do it in  $C_8^7$  ways.

Now we must select 5 jurors from 12 (they favor punishment). We can do it in  $C_{12}^5$  ways.

Using the multiplication rule and assumption that 7 from 12 will not favor punishment and 5 jurors from 12 favor punishment, the number of favorable outcomes is  $C_8^7 \cdot C_{12}^5$ .

If 12 jurors are selected at random from the 20 jurors, the number of all outcomes is  $C_{20}^{12}$ .

The required probability is equal to  $\frac{C_8^7 \cdot C_{12}^5}{C_{20}^{12}} = \frac{8!}{7!} \cdot \frac{12!}{5! \cdot 7!} \cdot \frac{12! \cdot 8!}{20!} = \frac{1056}{20995}$ .

**Answer.**  $\frac{1056}{20995}$ .