

Answer on Question #41808, Math, Statistics and Probability

Firebrick Tire Company wants to increase sales of its long running, low end Roadmaster Tire brand with a new advertising campaign claiming they will last at least 28,000 miles [$\mu=28,000$ miles]. Tests with a random sample [$n=30$ tires] show a sample mean [$\bar{x}=27,500$ miles] with a sample standard deviation [$s=1000$ miles]. At a .05 level of significance, these tests indicate

- a. Reject H_0 : Z of -2.7386 less than -1.6450
- b. Reject H_0 : Z of -2.7386 less than 1.6450
- c. Do not reject H_0 : Z of 1.6450 less than 2.7386
- d. Do not reject H_0 : Z of -1.6450 less than 2.7386
- e. None of the above

Solution

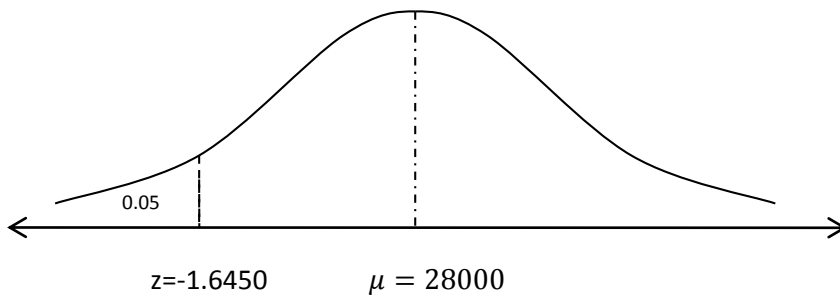
Step 1. State $H_0: \mu \geq 28000$, $H_1: \mu < 150$.

Step 2. Type of test - left-tailed test.

Step 3. Level of significance: $\alpha = 0.05$.

Step 4. Critical value of the statistic: $z=-1.6450$.

Step 5. Diagram



Step 6. Decision rule: Reject H_0 if t computed from evidence less than -1.6450.

Step 7. Compute the statistic:

Evidence: $n = 30$, $\bar{x} = 27500$, $s = 1000$.

$$z = \frac{\bar{x} - \mu}{\frac{s}{\sqrt{n}}} = \frac{27500 - 28000}{\frac{1000}{\sqrt{30}}} = -2.7386.$$

Step 8. Conclusion:

- a. **Reject H_0 : Z of -2.7386 less than -1.6450.**