## Answer on Question\#37766 - Math - Combinatorics

How many 4 digit numbers are there where repetition of digits are allowed?

## Solution

By fundamental principle of Counting, if one thing can be accomplished $n 1$ different ways and after this a second thing can be accomplished $n 2$ different ways, $\ldots$, and finally a $k$ th thing can be accomplished in $n k$ different ways, then all $k$ things can be accomplished in the specified order in $n 1 * n 2 * \ldots * n k$ different ways.

In real numbers the first digit can be any of $1,2,3,4,5,6,7,8,9$, so, the first digit can be chosen 9 different ways. The second digit, the third and the fourth ones are any, including 0 (each of them can be chosen 10 different ways). Therefore, in case where repetition of digits are allowed, there are $9 * 10 * 10 * 10=9000$ 4-digit numbers.

In case of sequences of symbols, not numbers, there are $10 * 10 * 10 * 10=100004$-digit sequences of digits.

