Answer on question 34016 - Math - Algebra

if a+(b*b)=19 and (a*a)+b=13, find the value of a and b

Solution

We have the system of two equations

$$\begin{cases} a+b^2=19 \\ a^2+b=13 \end{cases} \Rightarrow \begin{cases} a=19-b^2 \\ (19-b^2)^2+b=13 \end{cases}$$

We need to solve the equation

$$361 - 38b^{2} + b^{4} + b - 13 = 0;$$

$$(b - 4)(b^{3} + 4b^{2} - 22b - 87) = 0;$$

$$b - 4 = 0 \text{ or } b^{3} + 4b^{2} - 22b - 87 = 0;$$

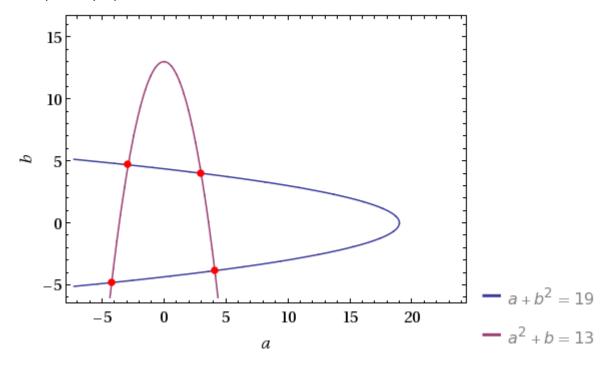
The solutions of the equation

$$x^3 + 4x^2 - 22x - 87 = 0$$

 $x \approx -4.81884$

$$x \approx -3.85927$$

a respectively equals: 3; -4.22124; -2.88477.



Answer: (3;4), (-4.8;-4.2), (-3.9;-2.9).