33410:

Task. Hi Can any expert help by defining Jacobian of a matrix and making Jacobian of the following equations.

 $P=c(u+g+d)/(b^2+(u+d)(u+g+d))$ >L= $(b/u+g+d)^2$.P $\>S=(g/(j+u+d))[b/(u+g+d)]^2.P$ $gt;Q=(gj/(u+d)(j+u+d))[(b/(u+g+d))^2]P$ the Author had found it to be $J(P,L,S,Q)=(-a - b \ 0 \ 0)$ (c -b 0 0) $(0 \ g - d \ 0)$ $(0 \quad 0 \quad j - e)$ Where $a=(2(u+d)(u+g+d)+b^2)/2(u+g+d)$ b=(u+g+d)/2 $c=b^{2/2}(u+g+d)$ d=u+j+d

e = (d+u)

But it is difficult for me to understand it.Please give directions towards the solution.

Solution.

Suppose functions P, L, S, Q are the functions of arguments u, g, d, j. Find the partial derivative $P_u = \frac{\partial P}{\partial u}$ of function P with respect to u (differentiate P with respect to u while arguments g,d, j are considered to be constant). Find other partial derivatives $P_g = \frac{\partial P}{\partial g}, P_d, P_j, L_u, L_g, L_d, L_j, S_u, S_g, S_d, S_j, Q_u, Q_g, Q_d, Q_j.$ Compose matrix

 $P_g P_d$ (P_u) P_{j} $L_u \quad L_g \quad L_d \quad L_j$ $S_u = S_g = S_d = S_j$ $Q_u \quad Q_a \quad Q_d \quad Q_i$

and calculate its determinant, which is called Jacobian.