

X - required number

A, B - natural number

$X < 50$ and X - even number

$$A^2 < X < B^3$$

Solve:

We can't take number in a square more than 3, because $4^3=64$ (this number is more than 50)

Therefore:

$$3^3=27$$

We select numbers in a square:

$1^2=1$ – there are a lot of numbers which fit conditions, but it is necessary to us to pick one number.
Therefore this particular number doesn't approach very well

$2^2=4$ - there are a lot of numbers which fit conditions, but it is necessary to us to pick one number.
Therefore this particular number doesn't approach very well

$3^2=9$ - there are a lot of numbers which fit conditions, but it is necessary to us to pick one number.
Therefore this particular number doesn't approach very well

$4^2=16$ - there are a lot of numbers which fit conditions, but it is necessary to us to pick one number.
Therefore this particular number doesn't approach very well

$5^2=25$ –Only one number suits conditions, it means that is a required number = 26

Test:

$$26 > 5^2 \text{ and } 26 < 3^3$$

26 is an even number

$$26 < 50$$

No other numbers are more suitable than 26

All conditions are satisfied

Answer: 26