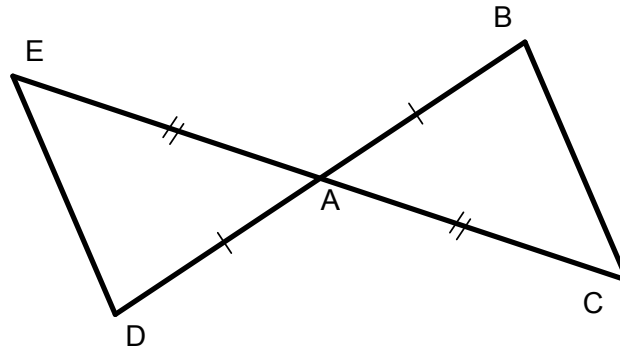


In triangle ABC, BA&CA are produced to D&E respectively such that BA=AD&CA=AE prove that ED || BC.



**Proof:**

In            and

1)  $AE=AC$  – given

2)  $AB=AD$  – given

3)                    as vertically opposite angels.

So                    ( two sides and the icluded angle are equal)

Hence  $\angle ACB=\angle AED$  ( matching angles of congruent triangles)

$\angle ACB$  and  $\angle AED$  are the alternate angles for Edand BC.

If any pair of alternate angles are equal, then the lines are parallel, so  $ED || BC$