## Conditions

The complement of set B relative to set A is the set

(A)  $A B = x:x \in Aorx \notin B$ (B)  $A = x:x \in Aorx \notin B$ (C)  $A = x:x \in Aorx \notin B$ (D)  $A = x:x \in Aorx \notin B$ 

Please explain

## Solution

If A and B are sets, then the relative complement of A in B, also termed the set-theoretic difference of B and A, is the set of elements in B, but not in A.

The relative complement of A in B is denoted  $B \setminus A$  according to the ISO 31-11 standard (sometimes written B – A, but this notation is ambiguous, as in some contexts it can be interpreted as the set of all b – a, where b is taken from B and a from A).

Formally

 $B \smallsetminus A = \{ x \in B \mid x \notin A \}.$ 

For our case B and A places are changed:

(B) A\B = x:x∈Aandx∉B

Answer: (B) A\B = x:x∈Aandx∉B