## Conditions

Employees of a firm receive annual ratings. In a certain department, 4 employees received excellent ratings, 15 received good ratings, and 1 received marginal rating. If 3 employees in the department are randomly selected to complete a form for an internal study of the firm, find the probability that all 3 were rated excellent

## Solution

Let's use the Classic Probability Definition. It claims, that the probability of some event A is a ratio of a number of all favorable outcomes for this event to a number of all possible outcomes.

The number of all favorable outcomes is the amount of all possible ways, how to choose 3 employees from 4 with excellent ratings:
$C_{4}^{3}=\frac{4!}{1!3!}=4$

The number of all possible outcomes is the amount of all possible ways, how to choose 3 employees from 4+15+1=20 employees:
$C_{20}^{3}=\frac{20!}{17!3!}=\frac{18 \cdot 19 \cdot 20}{1 \times 2 \times 3}=3 \times 19 \cdot 20=1140$
$P=\frac{4}{1140}=\frac{1}{285}$
Answer: $\frac{1}{285}$

