

## Answer on Question #79575, Economics / Macroeconomics

a) With the existing relationship

$$Q = 500S + 100U - 0.2S^2 - 0.3U^2$$

And provided hire 400 hours of skilled labour and 100 hours of unskilled labour

We can deduce the value of Q

$$Q = 500 \cdot 400 + 100 \cdot 100 - 0.2 \cdot 400^2 - 0.3 \cdot 100^2$$

$$Q = 200\,000 + 10\,000 - 32\,000 - 3\,000 = 175\,000$$

And the labor costs for such a release:

$$400 \cdot 15 = 6\,000$$

$$100 \cdot 5 = 500$$

**Conclusion:** for a given number of hours, we get output  $Q = 175\,000$  for 1 hour and labor costs of \$6,500.

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b) With labor costs of \$ 5,000, we get a relationship:

$$15 \cdot S + 5 \cdot U = 5\,000,$$

Or

$$3S + U = 1\,000$$

$$U = 1\,000 - 3S$$

Provided that the number of hours of labor can not be negative, we get the following answers:

[1; 997] – 1 hour of skilled labor and 997 unskilled labor;

[2; 994]

...

[333; 1] – 333 hours of skilled labor and hour of unskilled labor.

But with the indicators of skilled labor less than 122 hours, index of  $Q$  will be negative. So, we get the following answers: [122; 634], [123; 631], [124; 628]...[333;1].

Total 212 options for the use of skilled and unskilled labor at a total cost of \$ 5,000.

At the same time - with the growth of hours of skilled labor production ( $Q$ ) growth is also observed: from ~ 836 ( $S = 122$ ,  $U = 634$ ) to ~ 144 421 ( $S = 333$ ,  $U = 1$ ).

**Conclusion** - with labor costs of \$ 5,000, the maximum production figure ( $Q$ ) corresponds to the maximum use of skilled labor and the minimum use of unskilled labor and is ~ 144421\*.

c) The relationship between production and hours of labor characterizes the indicator of labor productivity. In this pattern, the price indicator does not affect the value of others.

Answer provided by <https://www.AssignmentExpert.com>

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\* These indicators can be output through the graph of the constructed function or manually.