Question \#73974, Economics / Microeconomics
SOLUTION: -
Q $=55-0.5^{*} \mathrm{P}$
So, $P=110-2^{*} Q$
TC(Total Cost) $=20+Q+0.2^{*} Q^{2}$
a) $\operatorname{TR}($ Total Revenue $)=Q^{*}\left(110-2^{*} Q\right)$

$$
=110^{*} Q-2^{*} Q^{2}
$$

b) $M R=110-4^{*} Q, M C=1+0.4^{*} Q$

To find $Q$ at which $M R=M C$
$110-4^{*} \mathrm{Q}=1+0.4^{*} \mathrm{Q}$
$109=4.4^{*} \mathrm{Q}$
So, $\mathrm{Q}=24.77$
c) $P($ Profit $)=T R-T C$
$=109^{*} Q-2.2^{*} Q^{2}-20$
Now, differentiating w.r.t Q at equating to 0 to find maximum
$\mathrm{dP} / \mathrm{dQ}=109-4.4^{*} \mathrm{Q}=0$
$Q=24.77$
There is a correspondence between part b and c answers because at level of maximum profit marginal cost and marginal revenue are equal.

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